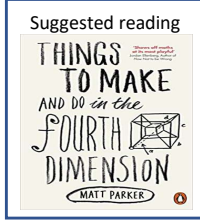


# Year 8 – Representations

## Tables & Probability



Want to know more? Scan the QR code to visit the curriculum overview for Year 8 Maths, including topic summaries, key words, and books that you may want to read in your own time



### What do I need to be able to do?

By the end of this unit you should be able to:

- Construct a sample space diagram
- Systematically list outcomes
- Find the probability from two-way tables
- Find the probability from Venn diagrams

### Keywords

**Outcomes:** the result of an event that depends on probability  
**Probability:** the chance that something will happen  
**Set:** a collection of objects  
**Chance:** the likelihood of a particular outcome  
**Event:** the outcome of a probability – a set of possible outcomes  
**Biased:** a built in error that makes all values wrong by a certain amount  
**Union:** Notation 'U' meaning the set made by comparing the elements of two sets

### Construct sample space diagrams

Sample space diagrams provide a systematic way to display outcomes from events

The possible outcomes from rolling a dice

	1	2	3	4	5	6
H	1H	2H	3H	4H	5H	6H
T	1T	2T	3T	4T	5T	6T

The possible outcomes from tossing a coin

This is the set notation to list the outcomes S =

In between the { } are a; the possible outcomes

$S = \{ 1H, 2H, 3H, 4H, 5H, 6H, 1T, 2T, 3T, 4T, 5T, 6T \}$

### Probability from sample space

The possible outcomes from rolling a dice

	1	2	3	4	5	6
H	1H	2H	3H	4H	5H	6H
T	1T	2T	3T	4T	5T	6T

What is the probability that an outcome has an even number and a tails?

This is the set notation that represents the question P

In between the ( ) is the event asked for

$P(\text{Even number and Tails}) = \frac{3}{12}$

There are three even numbers with tails

Numerator: the event

Denominator: the total number of outcomes

There are twelve possible outcomes

### Probability from two-way tables

	Car	Bus	Walk	Total
Boys	15	24	14	53
Girls	6	20	21	47
Total	21	44	35	100

$P(\text{Girl walk to school}) = \frac{21}{100}$

The event

The total in the set

The total number of items

### Product Rule

The number of items in event a  $\times$  The number of items in event b

### Probability from Venn diagrams

100 students were questioned if they played badminton or went to swimming club. 40 went swimming, 25 went to badminton and 11 went to both

This whole curve includes everyone that went swimming. Because 11 did both we calculate just swimming by 40 - 11

This whole curve includes everyone that went to badminton. Because 11 did both we calculate just badminton by 25 - 11

The intersection represents both Swimming AND badminton

The number outside represents those that did neither badminton or swimming  $100 - 29 - 11 - 14$

$P(\text{Just swimming}) = \frac{29}{100}$